

# An Implantable Pressure Sensor for Aneurysmal Disease

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## Background of Abdominal Aortic Aneurysms (AAA)

- The natural history of AAA's is one of progressive enlargement over time as a result of tension related to passive dilation from hemodynamic forces, and a complex remodeling process involving the aortic wall that leads to a focal loss of elastic tissue
- The ultimate result of this progression is rupture of the AAA producing serious and even lethal consequences.

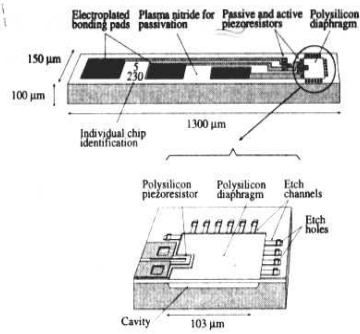
- The incidence of AAA in the general population is 36/100,000 and 60/100,000 in the age-related population
- In 1988, there were 40,000 AAA repairs in the U.S., and AAA rupture killed 15,000 people making it the 13th leading cause of death
- A new minimally invasive approach for the repair of AAA's uses endovascular techniques to place an intraluminal stent-anchored prosthetic graft within an aneurysm, effectively excluding the aneurysm from normal circulation

## Implantable Pressure Sensor (IPS)

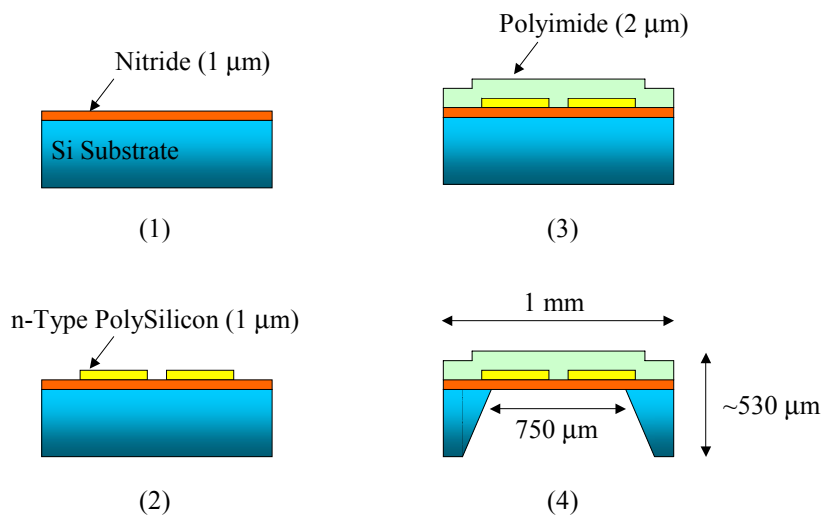
- An IPS will be able to detect and alert the surgeon of elevations in pressure in the excluded aneurysmal sac
  - » enabling evaluation for backbleeders intra-op; and potentially decreasing the costs from expensive follow-up imaging studies
- An IPS will save \$263 million in healthcare costs for AAA repair

# Required Parameters

- Biocompatible
- Dimensions  
  - < 1 mm wide
- Range  
  - 0-300 mm hg
- Operating temperature range  
  - 35-40 °C
- Sensitivity  
  - 1 mm hg increments
- Cost  
  - < \$600/patient•year



# Process Flow



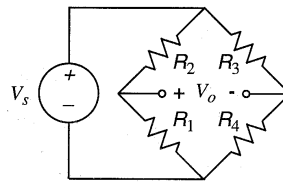
## Relationship Between Pressure Input & Voltage Output

- Using a Wheatstone bridge

$$\frac{V_o}{V_s} = \frac{R_1 R_3 - R_2 R_4}{(R_1 + R_2)(R_3 + R_4)}$$

- Assuming  $R_1 = R_3$ ,  $R_2 = R_4$

$$\frac{V_o}{V_s} = \frac{R_1 - R_2}{R_1 + R_2} = \frac{\Delta R}{R} = -\varepsilon \times \text{gauge factor}$$



## Strain of Circular Membrane From Roark's

$$\varepsilon = \frac{\Delta P}{E} \times \frac{3a^2}{8t^2} \times \left[ (3 + \nu) \left( \frac{r}{a} \right)^2 - (1 + \nu) \right]$$

at  $r = a$ ,

$$\Delta P = \frac{4Et^2V_m}{3 \times G.F. \times V_s \times a^2}$$

where

$E$  = effective Young's modulus

$$= \frac{E_{\text{Nitride}} \times t_{\text{Nitride}} + E_{\text{Polyimide}} \times t_{\text{Polyimide}}}{t_{\text{Nitride}} + t_{\text{Polyimide}}}$$

$$= 91.33 \text{ N/m}^2$$

$\nu$  = effective Poisson's ratio (not needed)

$V_s$  = supply voltage = 5 V

G.F. = gauge factor = 20

$a$  = membrane radius = 375  $\mu\text{m}$

$r$  = distance from center

# Conclusion

<b>Parameter</b>	<b>Satisfied?</b>	<b>Comments</b>
Biocompatible	Yes	Polyimide coating is compatible with body
Dimensions ( $< 1$ mm wide)	Yes	1 mm wide
Range (0-300 mm Hg)	Yes	With a range of 0 - 3000 mm Hg
Op. Temp.Range (35-40 °C)	Yes	All materials operate in this temperature range
Sensitivity (1 mmHg increments)	Yes	1.7 mV/mm Hg
Cost	Yes	~ \$150/patient•year